

Making the Most of Flipped In-Class Time

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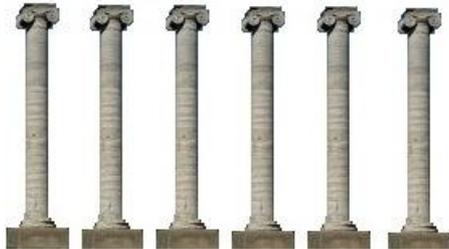
Agenda

1. Lesson Activity Structures
2. Personal Introductions
3. Criteria for Lesson Observations
 - a. Sample Video 1
 - b. Sample Video 2
4. Two Profiles of Flipped Instruction
5. Conclusion and Q&A

Lesson Activity Structures



HOMEWORK



INDIVIDUAL WORK

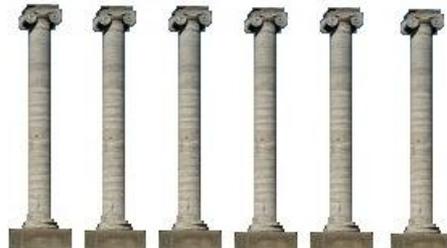


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Lesson Activity Structures - Flipped Instruction



HOMEWORK



INDIVIDUAL WORK



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Flipped Lesson Flow - Example



HOMEWORK



INDIVIDUAL WORK



Introductions

Introduce yourself to your neighbor and then discuss the following questions:

- In terms of the main activity structures, what is your typical lesson flow?
- Have you ever flipped a lesson? Was the lesson flow the same or different?

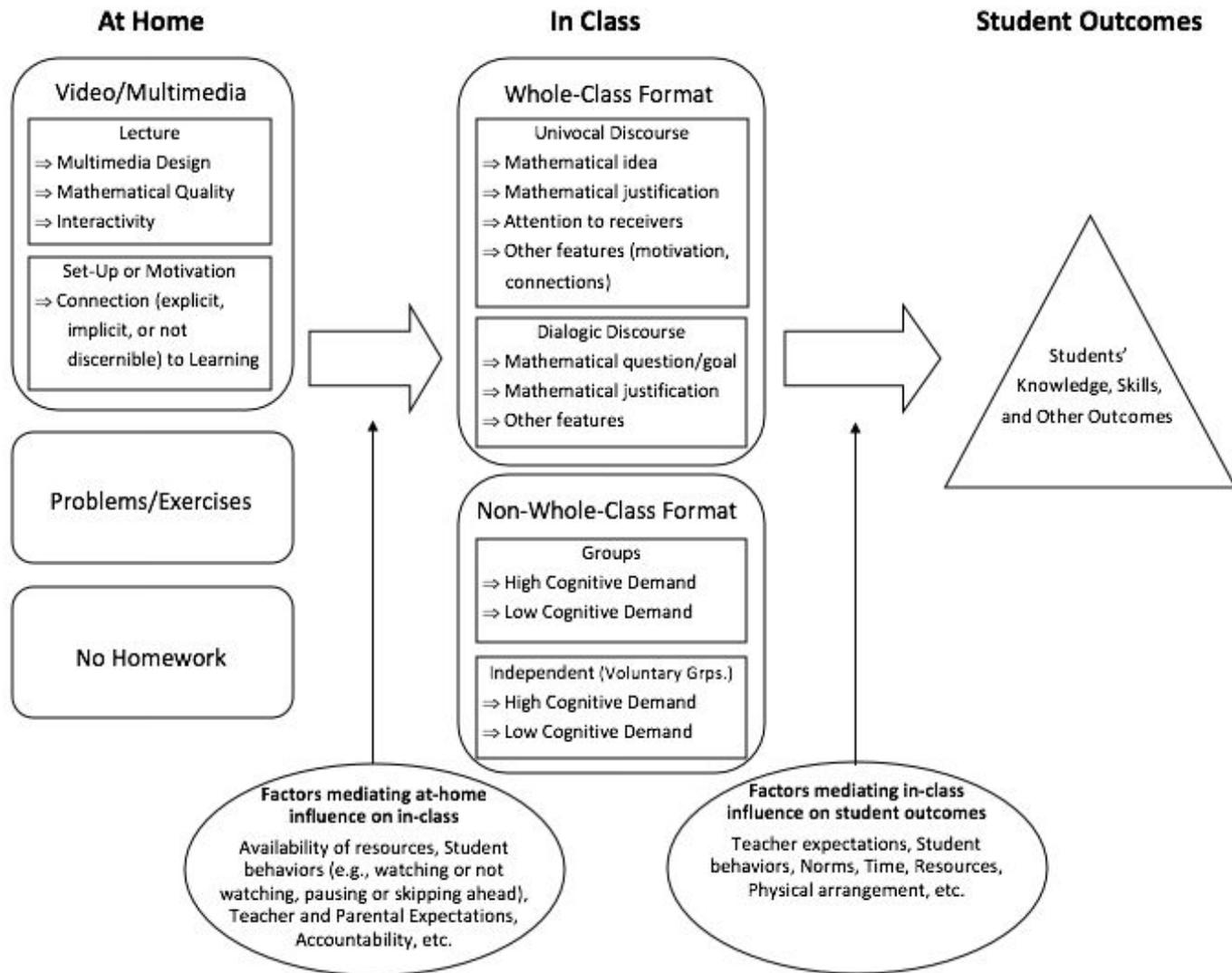


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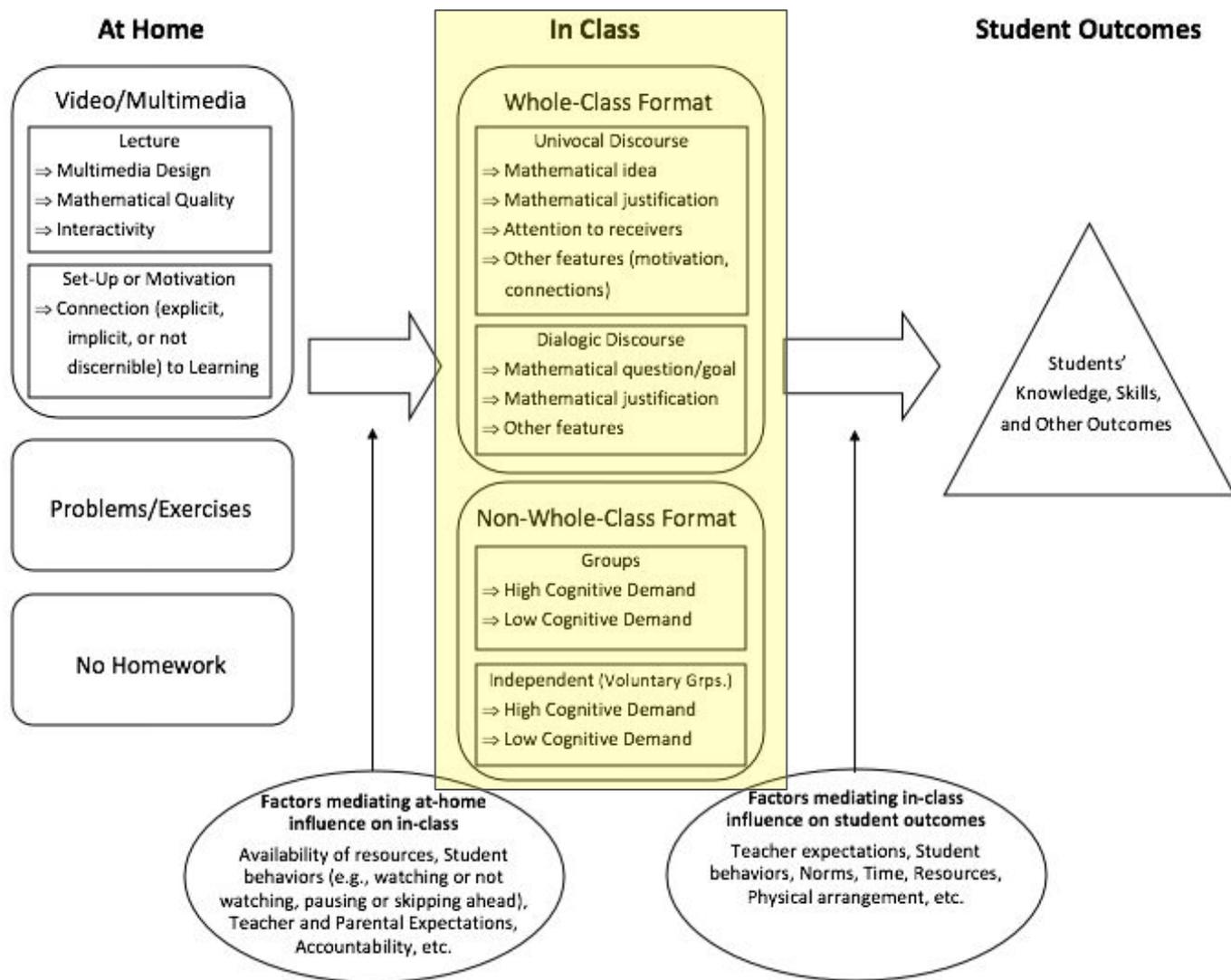
- Algebra 1 Classes: 20 flipped and 20 non-flipped
- Research Questions
 - What are salient factors entailed in teachers' implementation of flipped instruction in Algebra 1?
 - To what extent do these factors* predict students' learning of algebra as measured on a procedural inventory and on a concept-of-variable inventory?

**We're interested in instructional factors in flipped AND non-flipped classes*

Framework

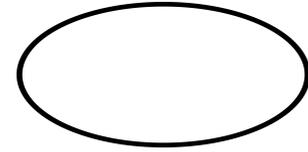


Framework



Framework: In-Class Time

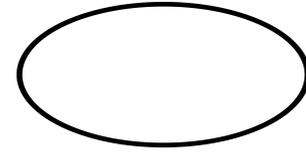
- Individual Work, Small-Group Work
 - High cognitive demand tasks
 - Low cognitive demand tasks
 - On-task behavior (low, moderate, high)



Framework: In-Class Time

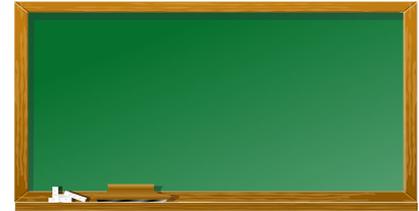
- Individual Work, Small-Group Work

- High cognitive demand tasks
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- Whole-Class Discourse

- Clear mathematical **idea**
- **Motivation** for the mathematical idea
- Conceptual development and **coherence** to the flow of ideas
- Mathematical **justifications** provided
- Visual/tangible **representation** accompanying verbal discourse
- Explicit **connections** to prior knowledge
- Locus of authority (teacher/textbook shared/student-led)
- Nature of interactions (sharing collaborating) [Staples & Colonis, 2007]



Flipped Instruction: Ms. Schaefer

- Consider the following in the lesson excerpt (recognizing that we aren't watching the whole lesson):
 - Idea
 - Justification(s)
 - Representation(s)
 - Connection(s)
 - Locus of authority

Ex 5b) $y = \sqrt{2x-1}$

Domain
No-No's

① negative under wen root

② zero in the denominator

Flipped Instruction: Mr. Forrest

- Consider the following in the lesson excerpt (recognizing that we aren't watching the whole lesson):
 - Idea
 - Justification(s)
 - Representation(s)
 - Connection(s)
 - Locus of authority

Exploring the
graph of $y = \sqrt{-x}$

Forrest: Tony had a question about [problem] 2B. He said, "Why is that even possible?" Tony, can you explain why you think it's a problem?

Tony: I don't know, I just noticed it's $[y=\sqrt{-x}]$ undefined.

Forrest: Why would you say that it's undefined?

Tony: Because it's imaginary numbers.

Forrest: Okay, so Tony says, "Why is that possible," because you think it's imaginary. Square root of a negative should be imaginary. Can anybody explain why you still got a graph there? What do you think, Matt?

Matt: Because all the x-values are negative, it's gonna make it positive.

Forrest: So, "Because all the x-values are negative, it's gonna make them..."

Matt: Like, the x-values in the graph, whenever you plug them in, it's gonna invert them into a positive number.

F: Alright, so can you give me an example? Because we got (writes on board) y equals the square-root of negative x, right?

Matt: So x is negative three.

Forrest: So if we made an xy-table (writes a table on the board with $x=-3$ as the first entry), plugged in negative three?

Matt: Yeah.

Forrest: We get the square root of...

Matt: Three.

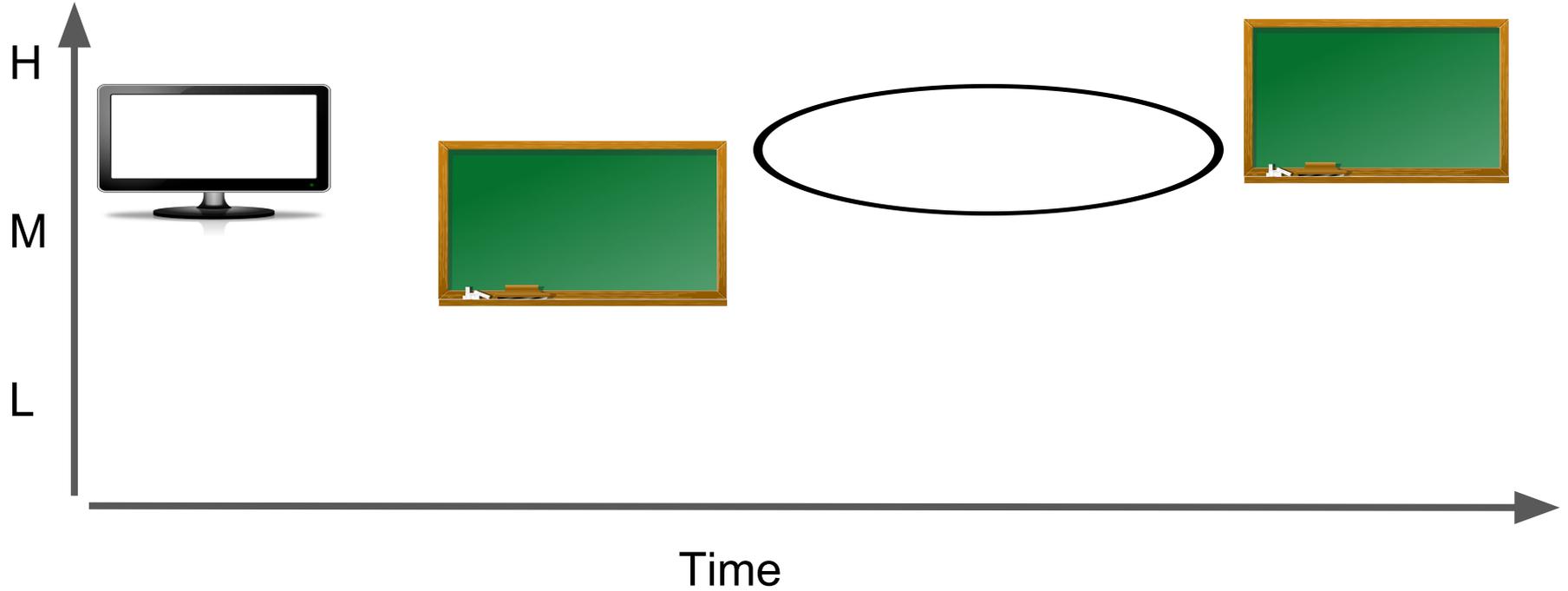
Forrest: Three, right? (writes $\sqrt{3}$ in the y-column) Because, if you think of it another way, wouldn't that be the square root of negative negative three?

Female Student: Uh huh.

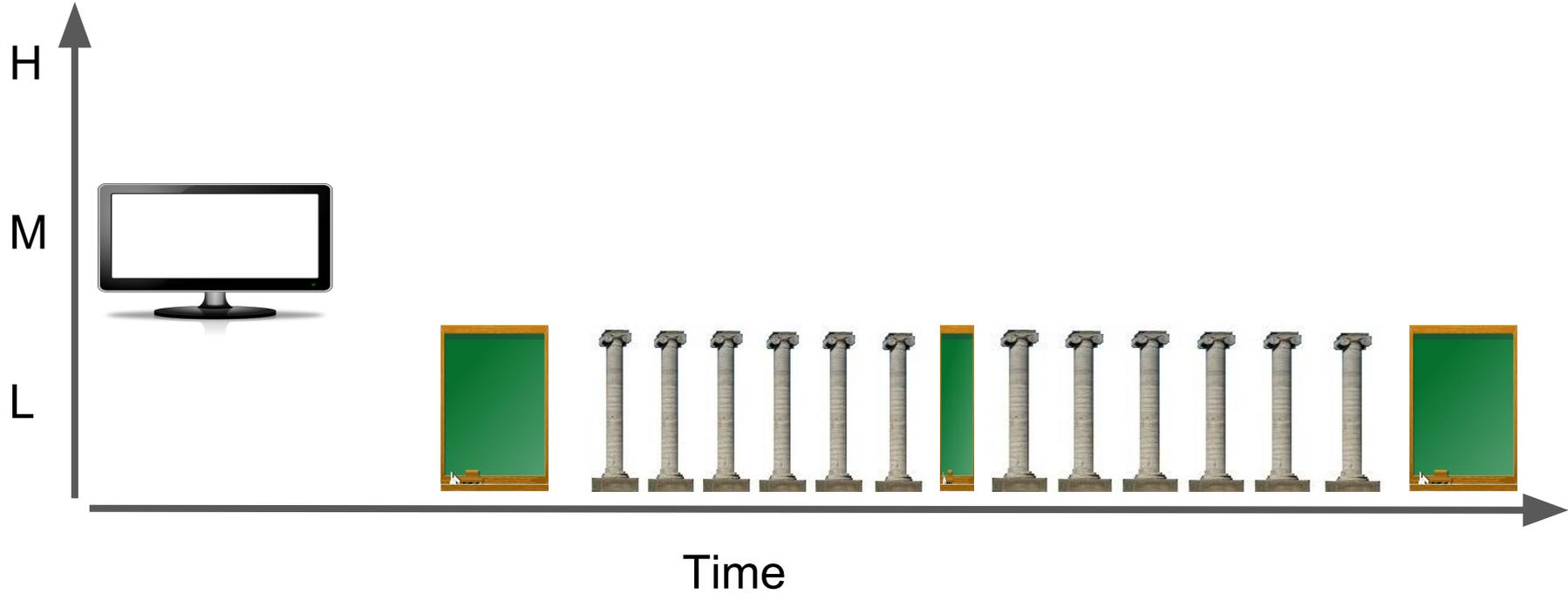
Forrest: Which is the square root of negative negative 3. This is why it's still possible. Because even though it's the square root of negative x, what kind of values can we plug in for x? We can plug in negative values for x to give the square root of x. Does that make sense?

Lesson Profiles

Sample Lesson Profiles - Flipped Instruction



Sample Lesson Profiles - Flipped Instruction



Concluding Thoughts

- Videos are the defining feature of flipped instruction but we suspect they are not the primary predictor of student learning.
- In our view, benefits are more likely to come from in-class time. For example...
 - Offload lower-level processes to the HW, emphasize higher-level processes in class.
 - Offload teacher authority to the HW, emphasize shared/student authority in class.
 - Use the extra in-class time to have more collaborative discussions or implement more open-ended tasks. (*Time is often the #1 barrier cited by teachers*)
- Think about the kind of lesson profile you want and, if you are flipping instruction, make sure that it's supporting you in achieving that profile.

Questions?

Interested in participating our study? Email ottensa@missouri.edu or visit

FlippedMathStudy.net